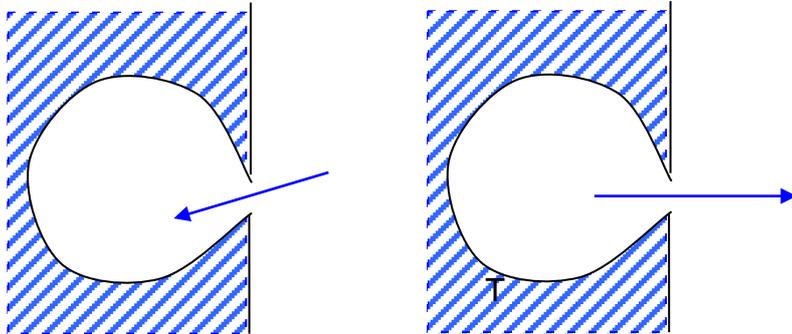


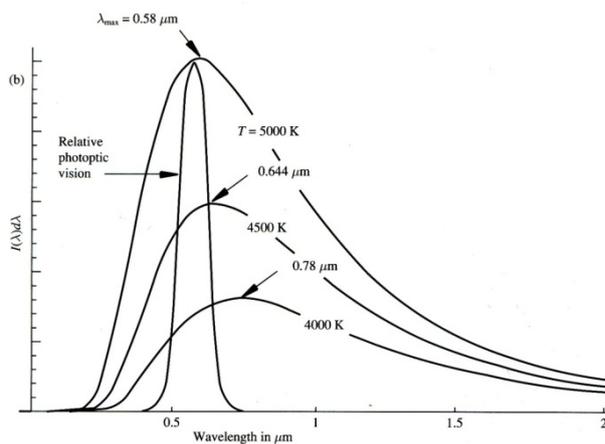
Lecture 3: Black body radiation, Einstein's model

Black body definition

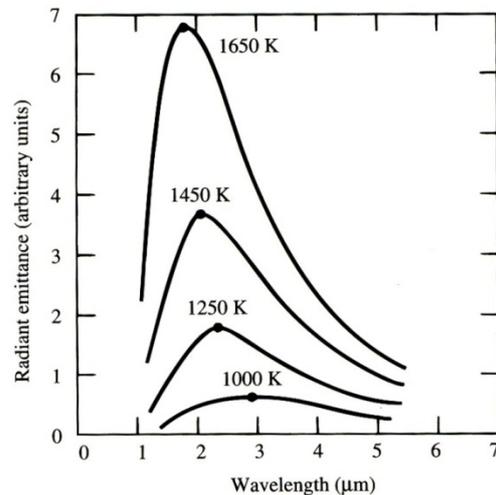


- 1) A cavity with small input hole
- 2) Radiation which enters the hole has a very little chance of escaping
- 3) In thermal equilibrium, it emits electromagnetic radiation called black-body radiation.
- 4) The radiation escaping from the cavity does not depend on dimensions, shape of cavity and material of walls.

Spectral distribution of the black body radiation:



C.C. Davies, *Lasers and Electro-Optics*, Cambridge University Press, Cambridge, 1996



J.T. Verdeyen, *Laser Electronics*, Prentice Hall, Englewood Cliffs, 1995

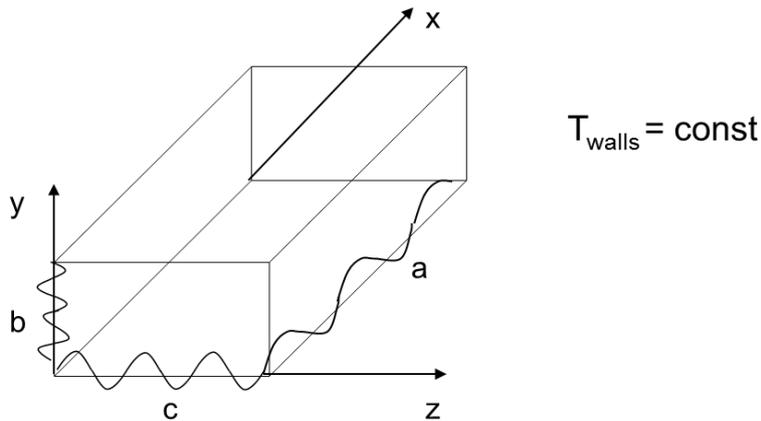
Wien's law:

$$\lambda_{\max} * T = \text{const} = 0.2898 \text{ [cm*K]}$$

If the temperature increases, the peak wavelength decreases – frequency increases (blueshift).

Planck's model

In Planck's model, the black body cavity has a shape of a rectangular cavity with perfectly conducting walls kept at temperature T .



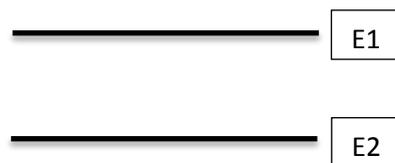
Each mode (resonance) can have certain quantized energies:

$$E_h = nh\nu$$

where h – is famous so-called “Planck’s constant” $h = 6.62 \times 10^{-34}$ [Js].

Einstein's model

An atom might have two energy levels, E_1 and E_2 :



A radiative transition between two atomic levels E_2 and E_1 is connected with emission or radiation of photon which energy ΔE is described by:

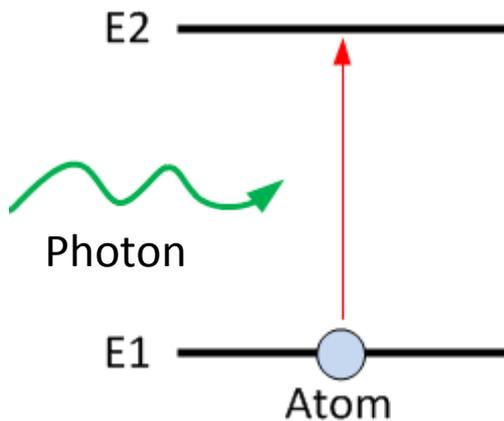
$$\Delta E = E_2 - E_1 = h\nu$$

Einstein's three elementary quantum transitions:

1. Absorption
2. Spontaneous emission
3. Stimulated emission

1) Absorption

An atom in the lower energy state (E1) can absorb a photon, and therefore transfer into the upper energy level (E2).



Probability of this transition:

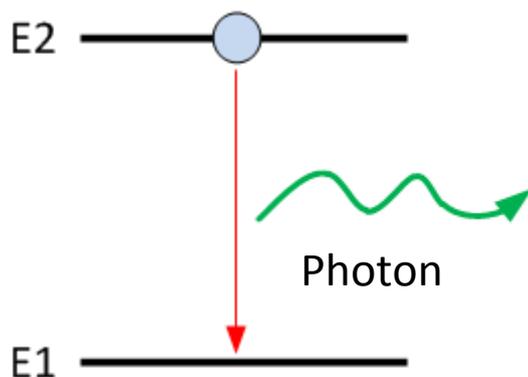
$$dP_{12} = U(\nu, t) \cdot B_{12} \cdot dt$$

$$u_{\nu}(\nu, T) \left[\frac{J}{m^3 Hz} \right] \quad - \quad \text{energy density of the input field}$$

B_{12} – Einsteins absorption coefficient.

2) Spontaneous emission

Atom in the upper energy level (E2) might spontaneously decay to level E1 and lose its energy by emitting a photon in random direction, with random phase and polarization.



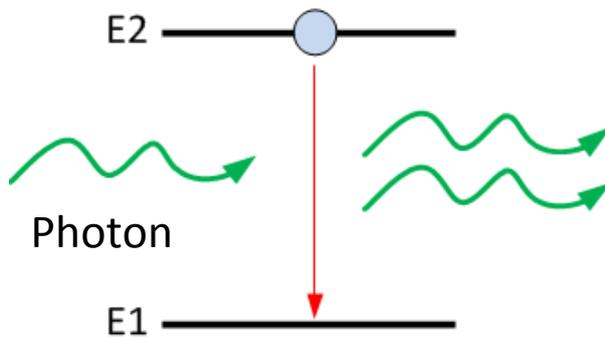
Probability of this transition:

$$dP_{21_spont} = A_{21} dt$$

A_{12} – Einsteins spontaneous emission coefficient.

3) Stimulated emission

The atom is in excited state (E2). Due to external radiation $U(\nu, \mathbf{t})$ the external photon $h\nu$ stimulates coherent photon from the atom (the same direction, polarization, phase, frequency).



Probability of this transition :

$$dP_{21_stim} = U(\nu, \mathbf{t}) B_{21} dt$$

B_{21} – Einsteins stimulated emission coefficient.

Important:

- Radiation of the black body (spectral distribution, Wien's law)
- Einstein's model – three elementary transitions